

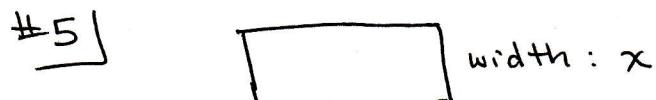
HW7 - Hints and partial solutions

Section 9.4

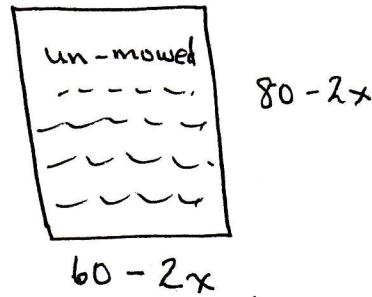
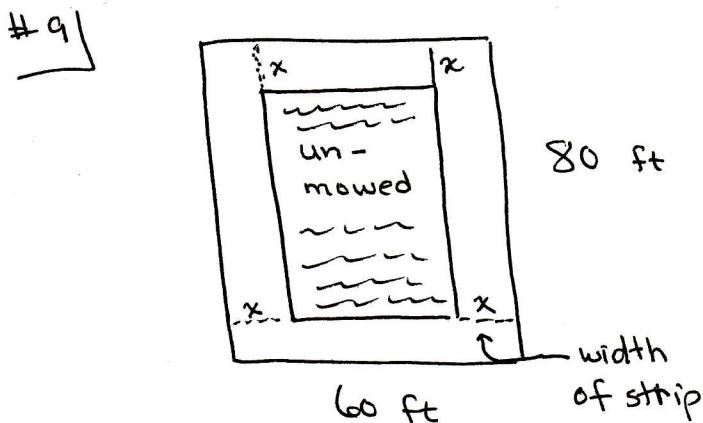
#11 Computer A $x-3$ $t = 2$
 Computer B x

$$\left(\frac{1}{x-3} + \frac{1}{x} \right) 2 = 1$$

#3 Roofer: $x-6$
 Assistant: x $t = 4$



length: $2x+4$ \rightarrow twice the width
 by 4 feet



Area of unmowed = $\frac{1}{2}$ {Area of entire lawn)

Hints for HW 7

Section 9.5

#1, 3, 5

→ isolate the radicals

→ when squaring, remember to FOIL

$$(7-x)^2 = (7-x)(7-x)$$

$$= 49 - 7x - 7x + x^2$$

$$= 49 - 14x + x^2$$

$$= x^2 - 14x + 49 \quad \text{rearrange the terms}$$

#7, 9

→ Will need to square both sides twice
(do steps 1 & 2 twice)

→ When squaring two radicals, use FOIL

$$(\sqrt{3x+4} - \sqrt{2x+1})^2 = (\sqrt{3x+4} - \sqrt{2x+1})(\sqrt{3x+4} - \sqrt{2x+1})$$

$$= \sqrt{3x+4} \cdot \sqrt{3x+4} - \sqrt{3x+4} \cdot \sqrt{2x+1} - \sqrt{2x+1} \cdot \sqrt{3x+4} + \sqrt{2x+1} \cdot \sqrt{2x+1}$$

$$= (3x+4) - 2\sqrt{(3x+4)(2x+1)} + (2x+1)$$

$$= 5x+5 - 2\sqrt{(3x+4)(2x+1)}$$

$$\rightarrow \sqrt{x} \cdot \sqrt{x} = \sqrt{x^2} = x$$

$$\sqrt{(3x+4)} \cdot \sqrt{3x+4} = 3x+4$$

Section 9.6

~~22~~ 23, 33

→ use the AC method for factoring

$$2x^2 + 7x + 6 > 0$$

$$2x^2 + 4x + 3x + 6 > 0$$

$$2x(x+2) + 3(x+2) > 0$$

$$(2x+3)(x+2) > 0$$

AC side
AC = 12
b = 7

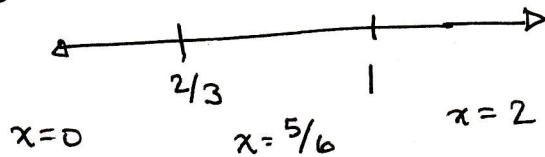
factors: 4, 3

Hints for HW1

Section 9.6 Continued

#33] → Key points are $x = -\frac{2}{3}, 1$

→ Test points



$$\rightarrow \boxed{x = \frac{5}{6}} \quad (3(\frac{5}{6}) - 2)(\frac{5}{6} - 1)$$

$$(\frac{5}{2} - 2)(\frac{5}{6} - 1) \rightarrow (\frac{5}{2} - \frac{4}{2})(\frac{5}{6} - \frac{6}{6})$$

$$(+)(-) \quad (\frac{1}{2})(-\frac{1}{6})$$

$$(-) \quad (+)(-) \rightarrow (-)$$

#31] → Even though $(x+1)$ can be removed via the cancellation principle, we still must consider $x = -1$ from the original equation.

Section 11.1

#7] → Compute $(f+g)(x)$ first OR → compute $f(-1)$
 \rightarrow Then plug in $x = -1$ $g(-1)$

→ Add together
 $f(-1) + g(-1)$

#11] $(f \circ g)(z) = f(g(z))$

→ can compute $g(z)$ first

$$(g \circ f)(z) = g(f(z))$$

#47] → Use cube root

$$x = y^3 + 1$$

$$x - 1 = y^3$$

$$\sqrt[3]{x-1} = \sqrt[3]{y^3}$$